

# Math for Deep Learning

## What You Need to Know to Understand Neural Networks

by Ronald T. Kneusel

errata updated to print 2

Page	Error	Correction	Print corrected																		
6	<table border="1"> <thead> <tr> <th>NumPy Name</th> <th>Equivalent C Type</th> <th>Range</th> </tr> </thead> <tbody> <tr> <td>float32</td> <td>float</td> <td><math>\pm [1.175 \times 10^{38}, 3.403 \times 10^{38}]</math></td> </tr> <tr> <td>uint8</td> <td>unsigned char</td> <td><math>[0, 255 = 2^8 - 1]</math></td> </tr> </tbody> </table>	NumPy Name	Equivalent C Type	Range	float32	float	$\pm [1.175 \times 10^{38}, 3.403 \times 10^{38}]$	uint8	unsigned char	$[0, 255 = 2^8 - 1]$	<table border="1"> <thead> <tr> <th>NumPy Name</th> <th>Equivalent C Type</th> <th>Range</th> </tr> </thead> <tbody> <tr> <td>float32</td> <td>float</td> <td><math>\pm [1.175 \times 10^{-38}, 3.403 \times 10^{38}]</math></td> </tr> <tr> <td>uint8</td> <td>unsigned char</td> <td><math>[0, 255 = 2^8 - 1]</math></td> </tr> </tbody> </table>	NumPy Name	Equivalent C Type	Range	float32	float	$\pm [1.175 \times 10^{-38}, 3.403 \times 10^{38}]$	uint8	unsigned char	$[0, 255 = 2^8 - 1]$	Print 2
NumPy Name	Equivalent C Type	Range																			
float32	float	$\pm [1.175 \times 10^{38}, 3.403 \times 10^{38}]$																			
uint8	unsigned char	$[0, 255 = 2^8 - 1]$																			
NumPy Name	Equivalent C Type	Range																			
float32	float	$\pm [1.175 \times 10^{-38}, 3.403 \times 10^{38}]$																			
uint8	unsigned char	$[0, 255 = 2^8 - 1]$																			
119	Equation replacement	$\mathbf{a} \times \mathbf{b} = \ \mathbf{a}\  \ \mathbf{b}\  \sin(\theta) \hat{\mathbf{n}}$ $= (a_1 b_2 - a_2 b_1, a_2 b_0 - a_0 b_2, a_0 b_1 - a_1 b_0) \quad (5.6)$	Pending																		
128	Equation replacement	$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \begin{bmatrix} 11 \\ 12 \\ 13 \end{bmatrix} = \begin{bmatrix} 74 \\ 182 \\ 290 \end{bmatrix}$	Pending																		
175	But $e^{x \ln a} = a^x$ , so we have ...	But $e^{x \ln a} = a^x$ , so we have ...	Pending																		
183	For example, above, we saw that the partial derivative of $f(x, y) = \dots$	For example, above, we saw that the partial derivative of $f(x, y, \mathbf{t}, \mathbf{z}) = \dots$	Pending																		

Page	Error	Correction	Print corrected
198	Equation replacement	$\frac{\partial \mathbf{F}}{\partial \mathbf{x}} = \begin{bmatrix} \frac{\partial f_{00}}{\partial \mathbf{x}} & \frac{\partial f_{01}}{\partial \mathbf{x}} & \dots & \frac{\partial f_{0,m-1}}{\partial \mathbf{x}} \\ \frac{\partial f_{10}}{\partial \mathbf{x}} & \frac{\partial f_{11}}{\partial \mathbf{x}} & \dots & \frac{\partial f_{1,m-1}}{\partial \mathbf{x}} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\partial f_{n-1,0}}{\partial \mathbf{x}} & \frac{\partial f_{n-1,1}}{\partial \mathbf{x}} & \dots & \frac{\partial f_{n-1,m-1}}{\partial \mathbf{x}} \end{bmatrix}$	Pending
257	Equation replacement	$\begin{aligned} \frac{\partial E}{\partial \mathbf{x}} &= \frac{\partial E}{\partial \mathbf{y}} \frac{\partial \mathbf{y}}{\partial \mathbf{x}} \\ &= \left[ \frac{\partial E}{\partial y_0} \frac{\partial y_0}{\partial \mathbf{x}_0} \frac{\partial E}{\partial y_1} \frac{\partial y_1}{\partial \mathbf{x}_1} \dots \right]^\top \\ &= \left[ \frac{\partial E}{\partial y_0} \sigma'(x_0) \frac{\partial E}{\partial y_1} \sigma'(x_1) \dots \right]^\top \\ &= \frac{\partial E}{\partial \mathbf{y}} \odot \boldsymbol{\sigma}'(\mathbf{x}) \end{aligned} \tag{10.10}$	Pending
261	<pre>self.delta_w += np.dot(self.input.T, output_error)</pre>	<pre>self.delta_w += np.dot(weights_error)</pre>	Pending
307	URL update	You can find them here: <a href="https://www.cs.toronto.edu/~binton/coursera_lectures.html">https://www.cs.toronto.edu/~binton/coursera_lectures.html</a>	Print 2